Anoka-Hennepin Secondary Curriculum Unit Plan

Department:	Mathematics	Course:	Statistics and Probability	Unit 3 Title:	Simulations and Expected Value	Grade Level(s):	10-11
Assessed Trimester:	Trimester A	Pacing:	5-7 Days	Date Created:	1/29/2014	Last Revision Date:	1/29/2014

Course Understandings: Student will understand that:

- B. The Law of Large Numbers expresses a relationship between theoretical probabilities and expected value and the probabilities and values obtained from experiments and simulations.
- H. Technology can be used to assist with calculations, simulations, and data analysis.

DESIRED RESULTS (Stage 1) - WHAT WE WANT STUDENT TO KNOW AND BE ABLE TO DO?

Established Goals

Minnesota State/Local/Technology Standard(s) addressed (2007):

- **Standard (9.4.3.#):** Calculate probabilities and apply probability concepts to solve real-world and mathematical problems. **Benchmark:**
 - **9.4.3.1** Select and apply counting procedures, such as the multiplication and addition principles and tree diagrams, to determine the size of a sample space (the number of possible outcomes) and to calculate probabilities.
 - 9.4.3.2 Calculate experimental probabilities by performing simulations or experiments involving a probability model and using relative frequencies of outcomes.
 - 9.4.3.3 Understand that the Law of Large Numbers expresses a relationship between the probabilities in a probability model and the experimental probabilities found by performing simulations or experiments involving the model.
 - 9.4.3.4 Use random numbers generated by a calculator or a spreadsheet, or taken from a table, to perform probability simulations and to introduce fairness into decision making.
 - **9.4.3.8** Apply probability concepts to real-world situations to make informed decisions.

Transfer

Students will be able to independently use their learning to: (product, high order reasoning)

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Meaning

Unit Understanding(s):

Students will understand that:

- As a result of experiments we are able to estimate theoretical probabilities.
- In order to calculate an experimental probability you need to simulate the situation many times.
- To be able to calculate an expected value you must first build an accurate probability model.
- In order to determine if a game is fair the expected value needs to be equal to the cost of the game.

Students will keep considering:

How do casinos determine how much they will charge you to play and how do they keep people coming?

Essential Question(s):

• When would it be best to simulate a situation versus trying to calculate a theoretical probability?

Acquisition

Knowledge - Students will:

- Know what a legitimate probability model is
- Understand what an experimental probability is
- Understand what a theoretical probability is
- Define the Law of Large Numbers
- Understand that each number that is generated from a random digit table represents a real-world outcome
- Define randomness
- Define fairness

Reasoning - Students will:

- Compare experimental probabilities to the theoretical probabilities
- Analyze how the Law of Large Numbers applies to the relationship between experimental and theoretical probabilities
- Determine how to assign digits according to the probability model
- Justify a decision using probability concepts

Skills - Students will:

- Use appropriate methods to calculate probabilities
- Carry out simulations or experiments to calculate an experimental probability
- Perform a simulation
- Use a random digit table, calculator or spreadsheet to generate random numbers
- Calculate probability
- Use probability concepts in real world situations

Common Misunderstandings

- Students choose incorrect operations.
- Students do not recognize implausible answers.
- Students do not remember that "0" is a digit that should/can be assigned
- Students do not know when to stop grouping numbers on the random digit table

Essential new vocabulary

- Expected value
- Experimental probability
- Fairness
- Law of large numbers
- Probability model
- Random digit table
- Randomness
- Simulation
- Theoretical probability